

Predicting plastic fragmentation in the environment

Using a mechanistic, open-source model

Sam Harrison

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UK Centre for
Ecology & Hydrology

 **BASF**
We create chemistry

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Who we are



Claus Svendsen



Richard Cross



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Gbotemi Adediran



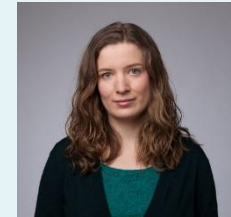
Wendel Wohlleben



Patrizia Pfohl



Katherine Santizo



Antonia Praetorius



Mark Wiesner



Joana Sipe

Brandon Lopez

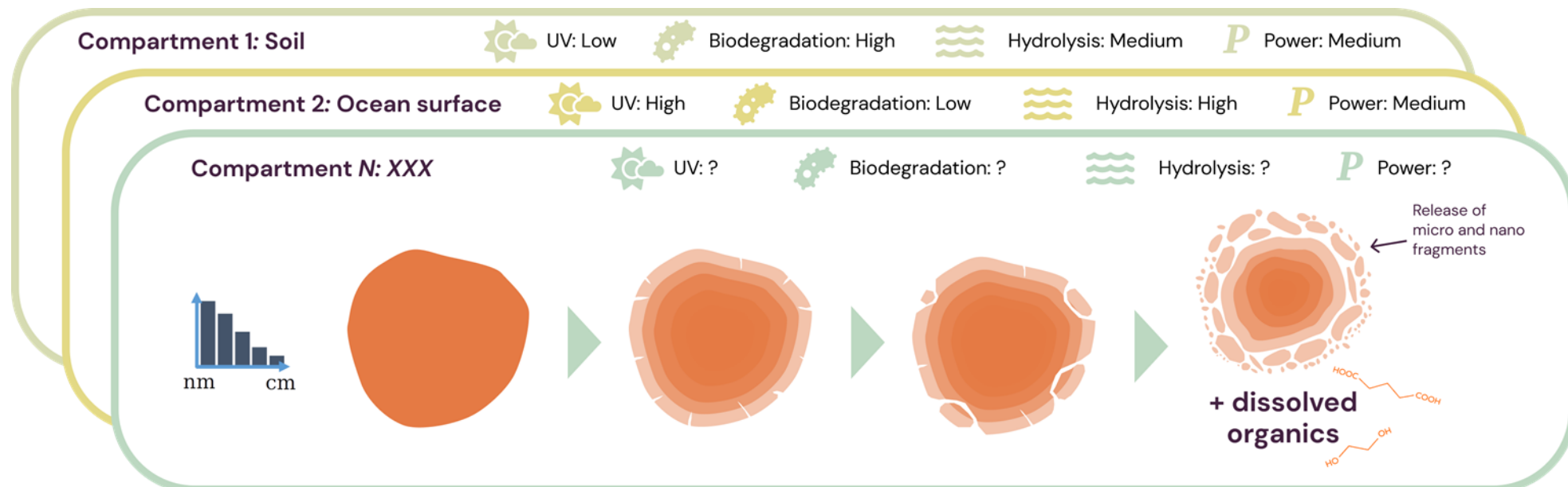


Manya Kaushik



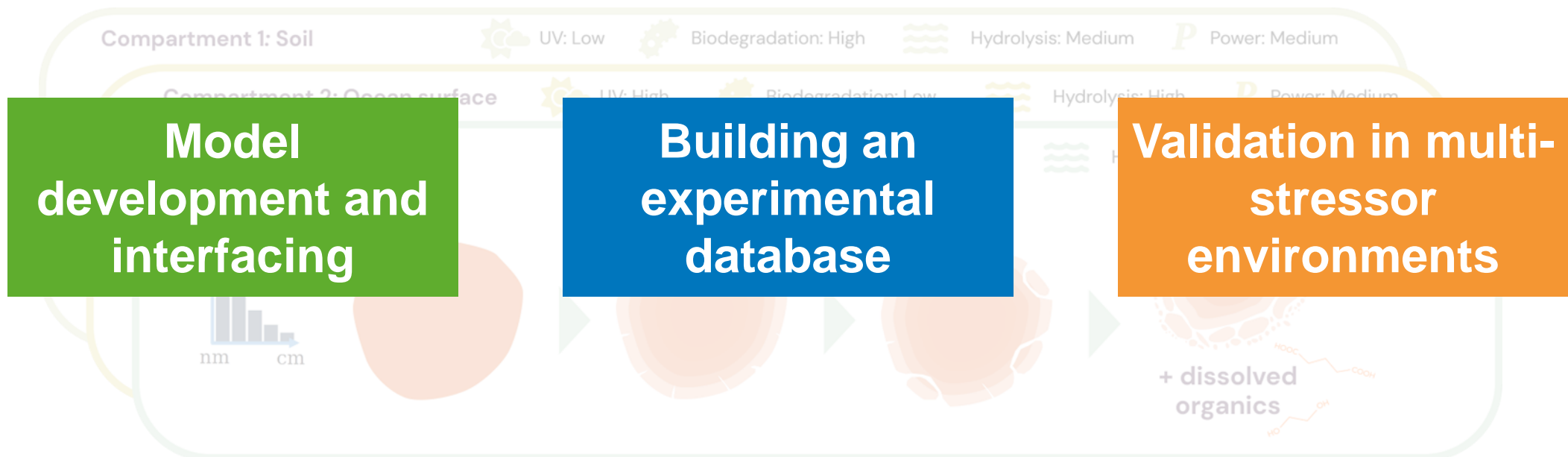
A pragmatic, open-source, mechanistic model of **Micro and NanoPlastic FRAGMENTation in the ENvironment**:

- Predicts the time evolution of particle size distributions and concentrations.
- Based on the principle that fragmentation rates depend on **polymer type**, **degradation state** and **environmental compartment**.



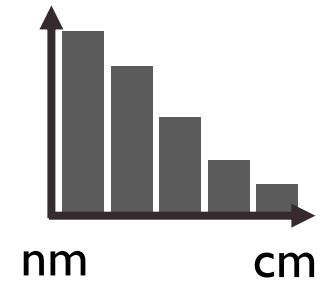
A pragmatic, open-source, mechanistic model of **Micro and NanoPlastic FRAGMENTation in the ENvironment**:

- Predicts the time evolution of particle size distributions and concentrations.
- Based on the principle that fragmentation rates depend on **polymer type**, **degradation state** and **environmental compartment**.



Model conceptualisation

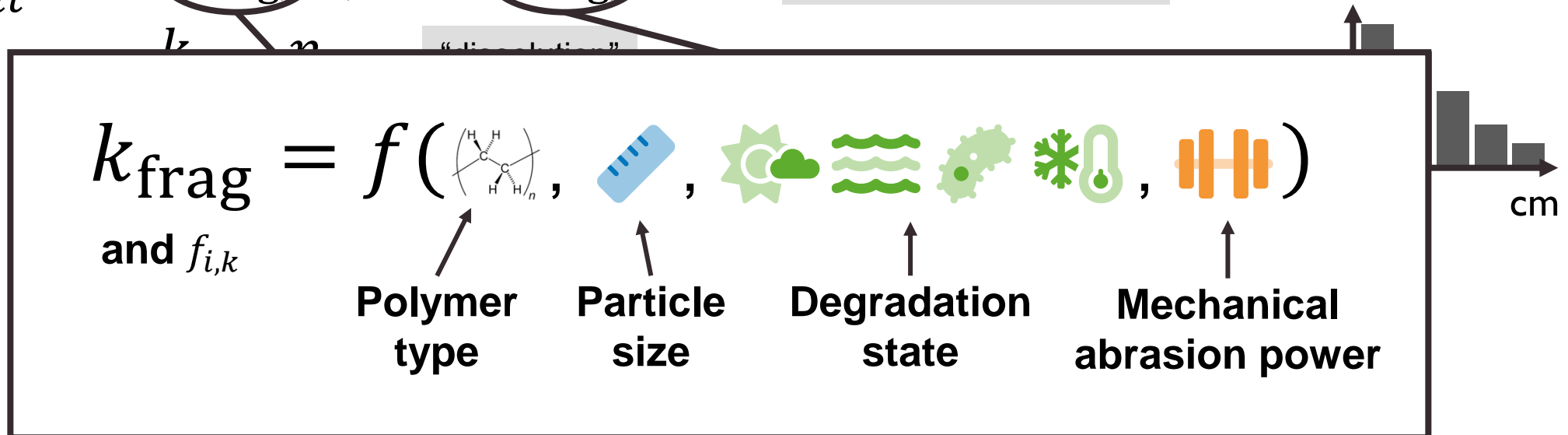
$$\begin{aligned} \frac{dc_k}{dt} = & \sum_i k_{\text{frag},i} f_{i,k} n_i - k_{\text{frag},k} n_k && \text{breakup (fragmentation)} \\ & - k_{\text{dis},k} n_k && \text{"dissolution"} \\ & + \frac{1}{2} \sum_{i+j \rightarrow k} \alpha_{i,j} \beta_{i,j} n_i n_j - \alpha_{B,k} \beta_{B,k}^M B n_k && \text{aggregation} \\ & - k_{\text{sed},k} n_k && \text{sedimentation} \\ & + S_k && \text{source} \end{aligned}$$



Model conceptualisation

$$\frac{dc_k}{dt} = \sum_i k_{\text{frag},i} f_{i,k} n_i - k_{\text{frag},k} n_k$$

breakup (fragmentation)



Building an experimental database

Populating the model with numerical degradation and fragmentation rates



Experimental dataset and characterization

Stress		
Mechanical disruption (MD)	pristine	
	22°C	10 days seawater 1 year seawater
Hydrolysis* (by immersion) +MD	22 °C (BASF only)	10 days pH 4
		10 days pH 9
		10 days DI water
	22°C	100 days pH 4
		100 days pH 9
		100 days DI water
0°C	100 days seawater	
22°C	100 days seawater	
65°C	100 days seawater	
Photolysis +MD	BST 65°C (ISO4892 w/75%RH)	1000 h
		1500 h
		2000 h
	BST 90°C (Kalahari protocol)	1000 h
		1500 h
		2000 h
BST 65°C (ISO4892 w/50%RH)	1000 h	
	1500 h	
	2000 h	
Enzymatic Degradation	Enzymatic Incubation at 37°C or 55°C	1 day 10 day 100 day

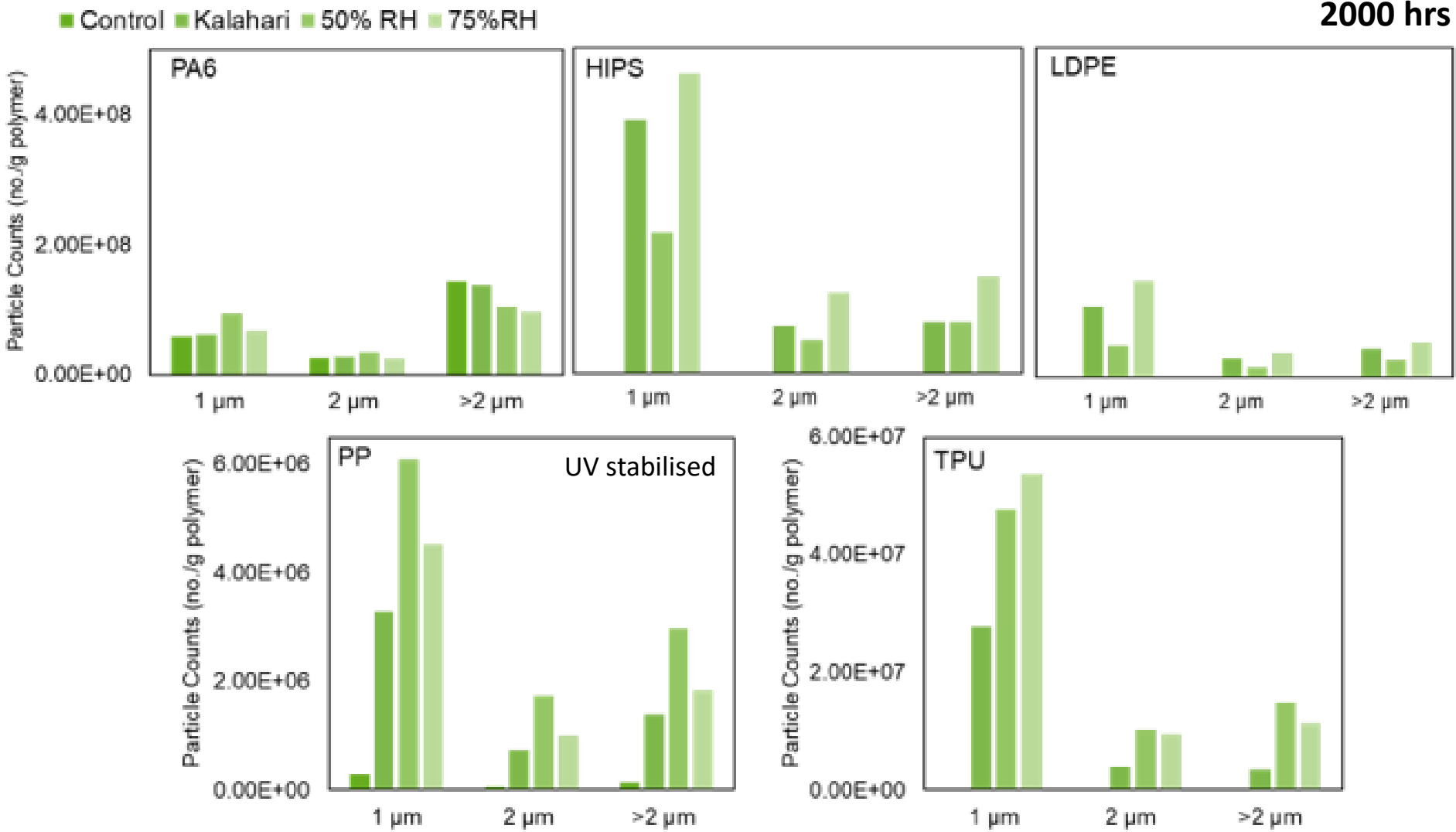
Polymers: TPU_ether_ arom, PET, PLA, PP, LDPE, PA-6, HIPS

Various methods to obtain holistic understanding of fragmentation and degradation:

- Size distribution 0.01 to 1000 µm
 - ▶ AUC
 - ▶ Particle Counter (Abakus)
 - ▶ Mastersizer
- Mechanical & cracking
 - ▶ SEM
 - ▶ Abrasion
- Chemical aging, M_w , crystallinity
 - ▶ FTIR
 - ▶ GPC
 - ▶ DSC

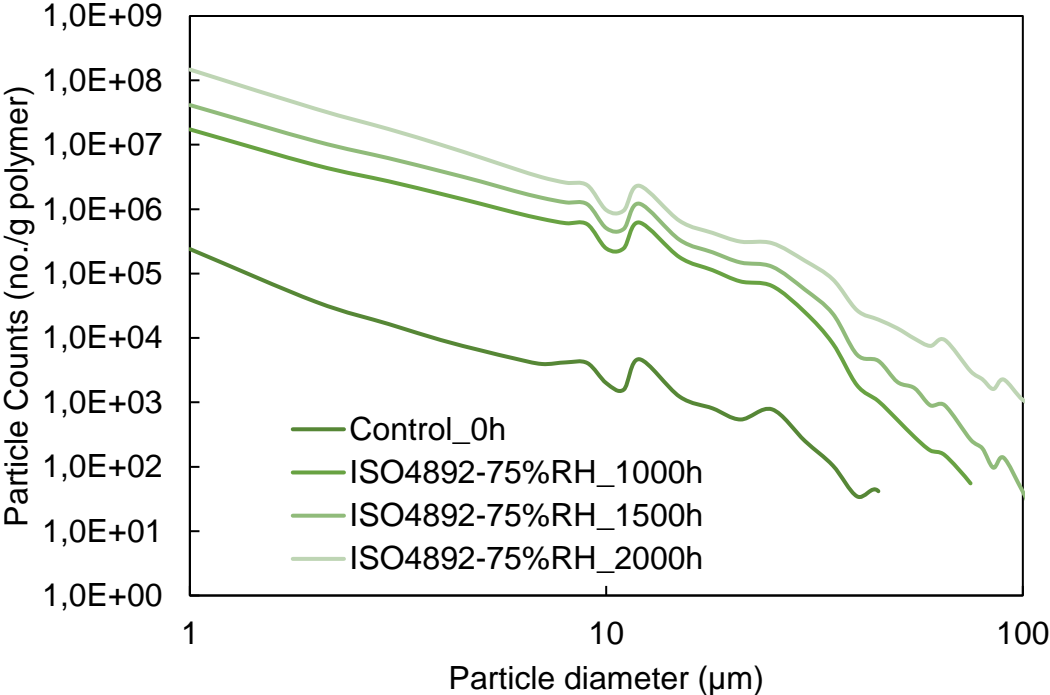
We vary: temperature, exposure duration, RH, salinity, pH

Results highlights: Photolysis

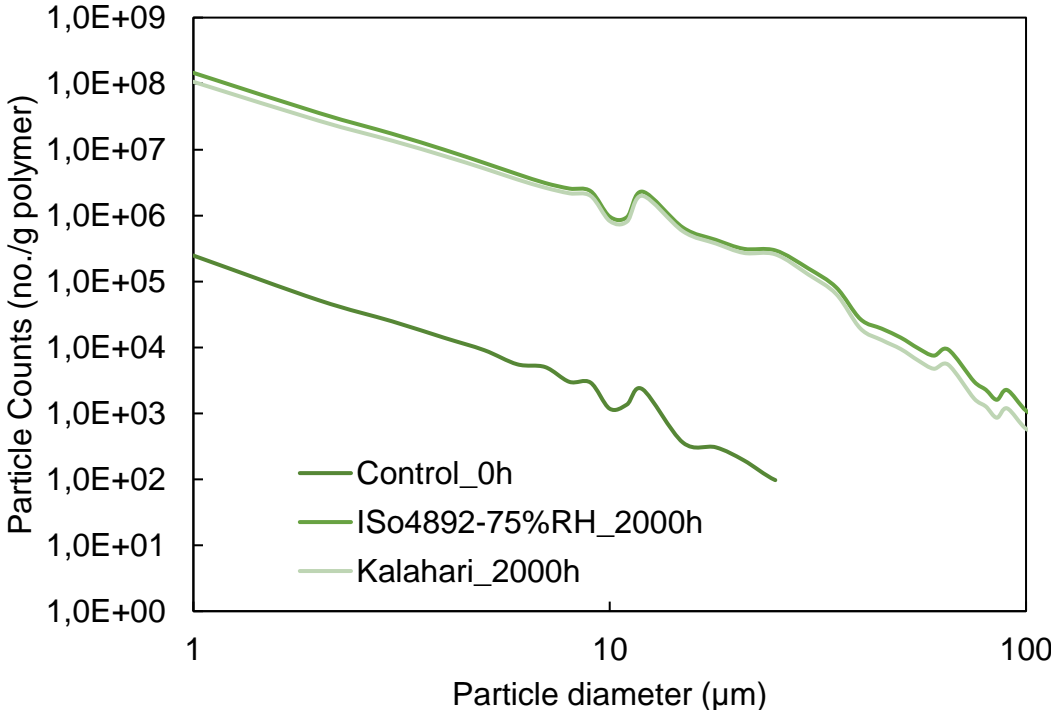


Results highlights: LDPE photolysis

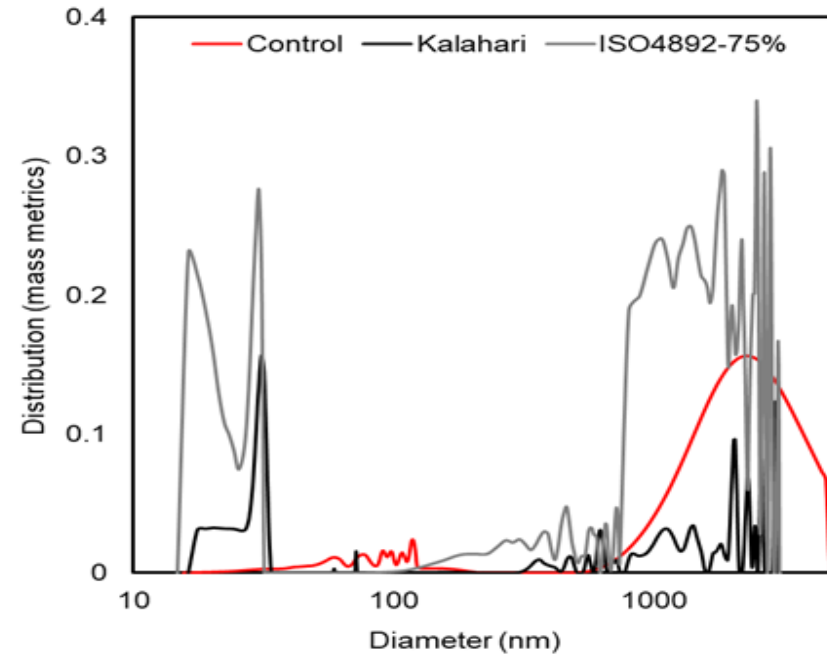
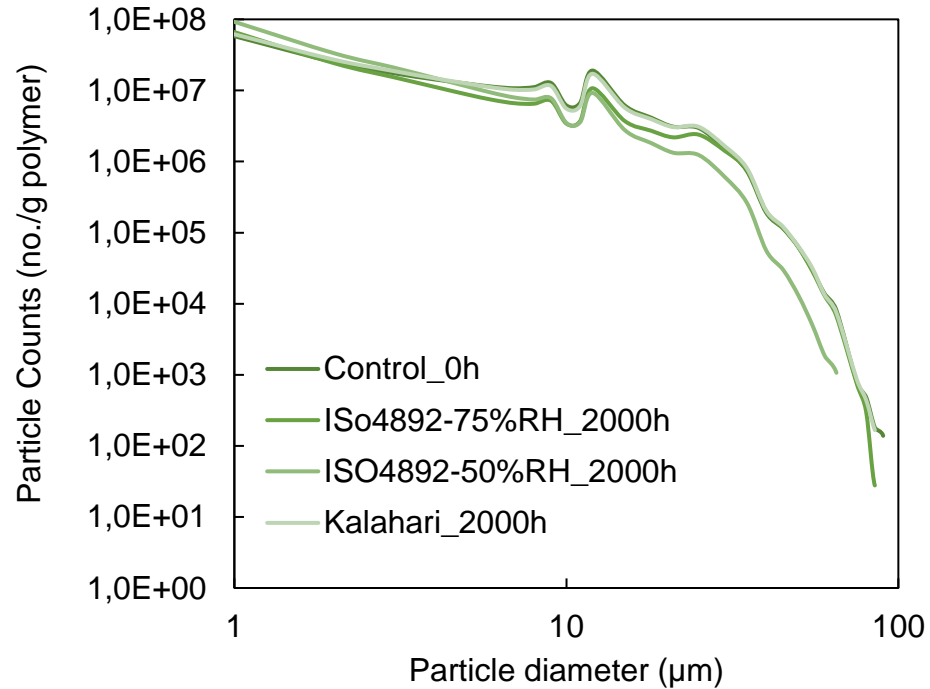
LDPE- variation by time



LDPE- variation by exposure

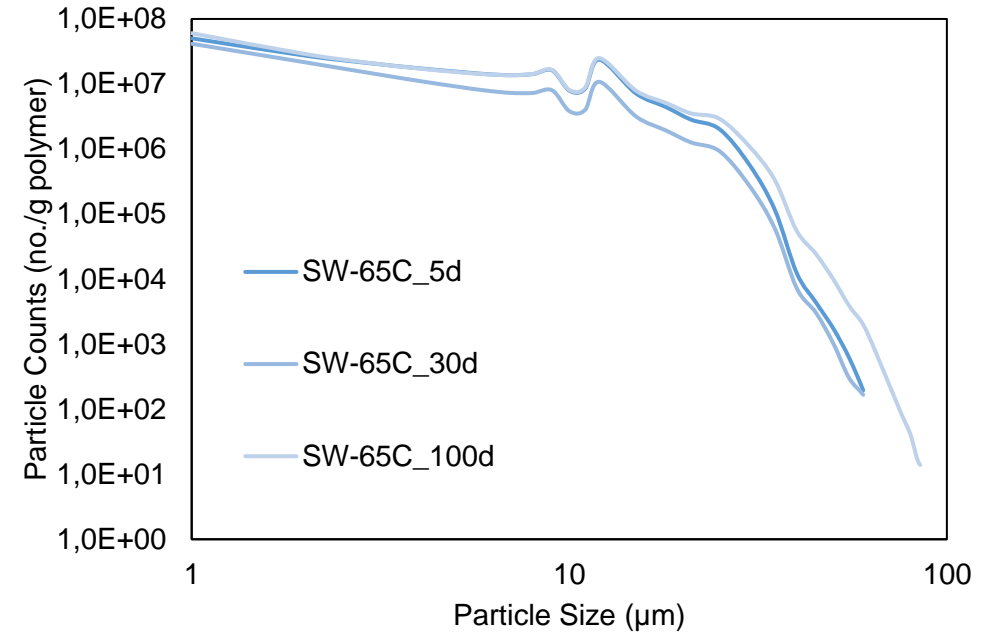
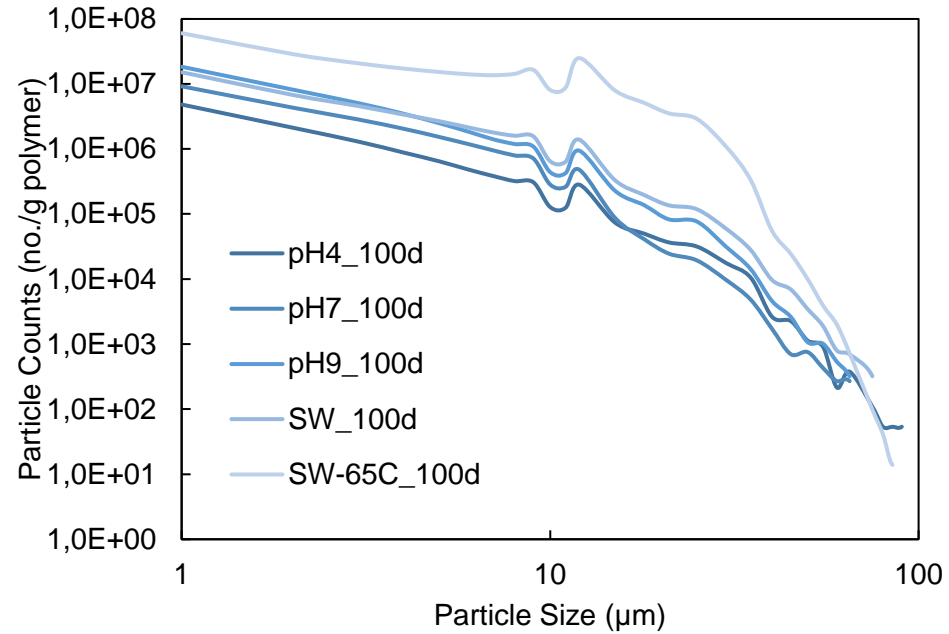


Results highlights: PA-6 Photolysis



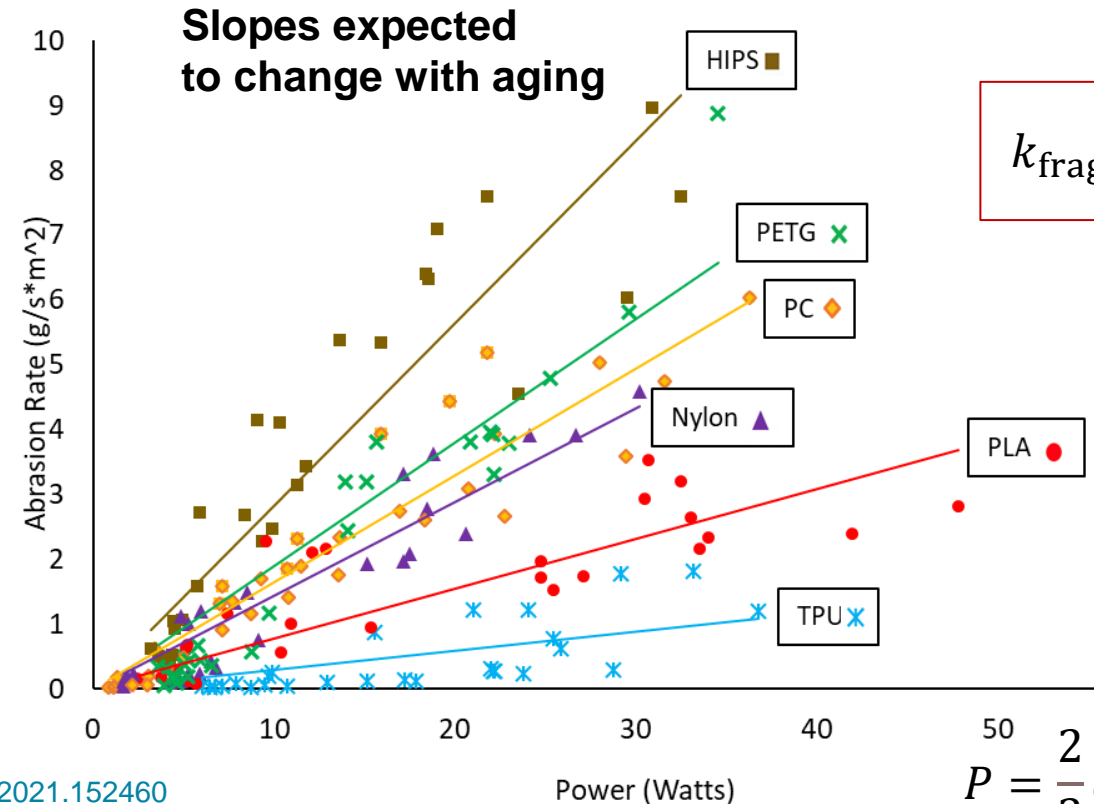
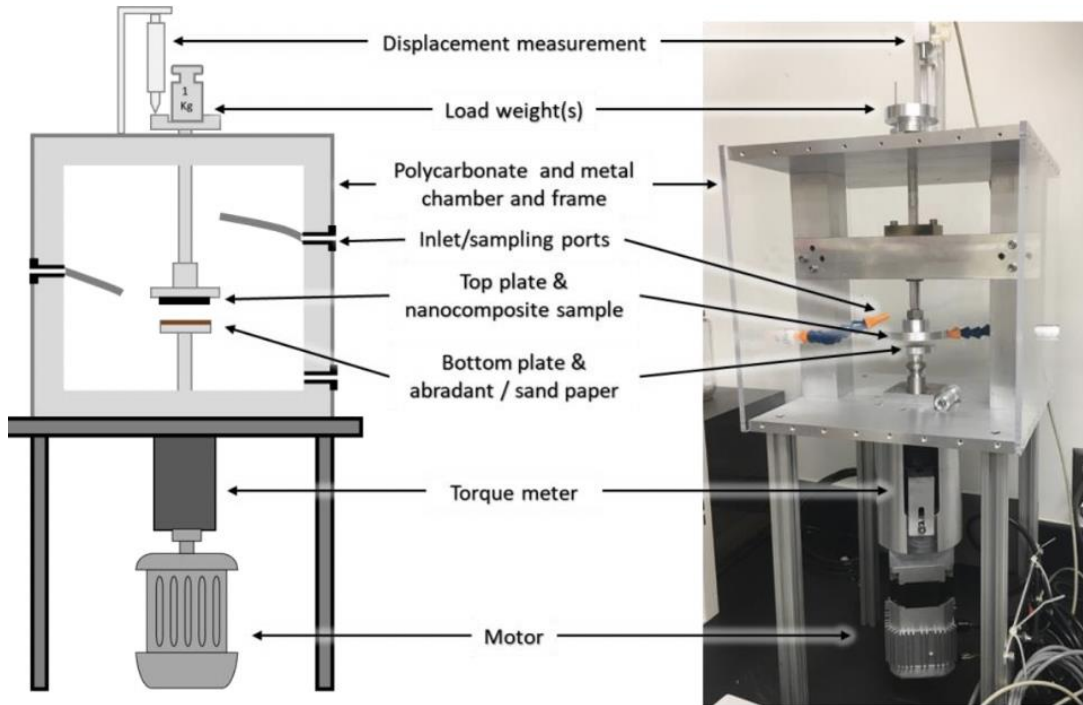
Sample description	Carbonyl Index (-)	DOC (mg/kg)	Number average Mn (g/mol)	Weight average Mw (g/mol)	Dispersity Mw/Mn (-)
PA6_0h	0.034	330	16 400	57 900	3.5
PA6_ISO4892_90C_2000h	0.411	3700	2 770	12 000	4.3
PA6_ISO4892_50%RH_2000h	0.400	-	2 350	8 990	3.8
PA6_ISO4892_75%RH_2000h	0.532	6100	2 130	8 130	3.8

Results highlights: PA-6 hydrolysis



Mechanical abrasion to determine fragmentation rates

- Relates input power to mechanical abrasion rate, M , and thereby fragmentation rate.
- Will be applied to coupons of varying degradation states. Power scalable to environmental compartment.



$$k_{\text{frag}} = \frac{M}{\rho_c d_k} \cdot 6$$

$$P = \frac{2}{3} \omega r N \mu_f$$

Model development

Developing, applying and rationalising a mechanistic model of microplastic fragmentation



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```
the initial value problem to pass to SciPy to solve.
st satisfy  $c'(t) = f(t, c)$  with initial values given in da
c):
t the number of size classes and create results to be fille
self.n_size_classes
t = np.empty(N)
Interpolate the time-dependent parameters to the specific
timestep given (which will be a float, rather than integer in
model = np.arange(self.n_timesteps)
= interpolate.interpld(t_model, self.k_frag, axis=0,
| | | | | fill_value='extrapolate') # type: ignore
frag = f(t)
Loop over the size classes and perform the calculation
for k in np.arange(N):
# The differential equation that is being solved
dcdt[k] = - k_frag[k] * c[k] \
+ np.sum(self.fsd[:, k] * k_frag * c[:N]) \
- self.k_diss[k] * c[k]
return the solution for all of the size classes
dcdt
solve this given the initial values for n
(fun=f,
method=self.config['solver_method'],
span=(0, self.n_timesteps),
self.initial_concs,
np.arange(0, self.n_timesteps),
config['solver_rtol'],
config['solver_atol'],
config['solver_max_step'])
```

Model – Python package and documentation

Documentation:

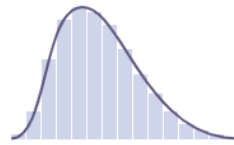
<https://microplastics-cluster.github.io/fragment-mnp>

Python package:

```
$ pip install git+https://github.com/microplastics-cluster/fragment-mnp.git
```

Demo:

<https://fragmentmnp.samharris.on.science>



FRAGMENT-MNP

Search this book...

FRAGMENT-MNP

USERS

Example usage

Model configuration

Input data

Plotting

Advanced usage

DEVELOPERS

Developers quickstart

Developing with Conda

API Reference



Example usage

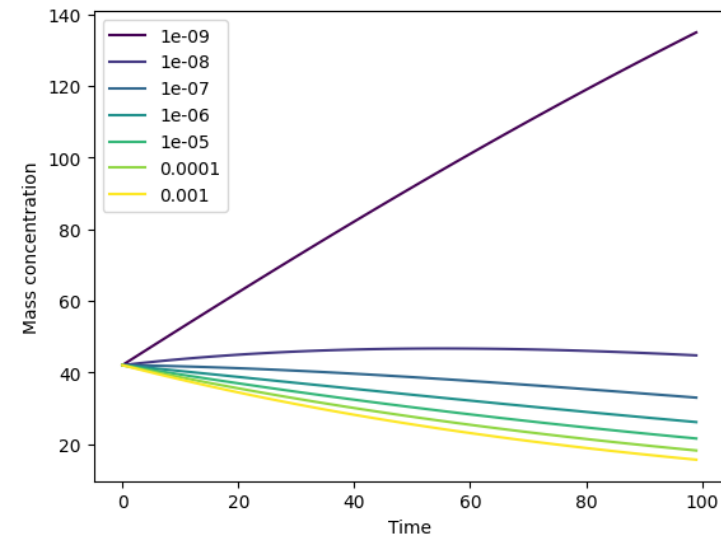
Running the FRAGMENT-MNP model is a two-step process. First, the model must be initialised by passing it config and input data. Example config and data is given in the `fragmentmnp.examples` module, which is used here. Then the `FragmentMNP.run()` method runs the model and returns a `FMNPOutput` object with the output data.

```
from fragmentmnp import FragmentMNP
from fragmentmnp.examples import minimal_config, minimal_data
import matplotlib.pyplot as plt
import numpy as np

# Create the model and pass it config and data. minimal_config and
# minimal_data are an examples of a dicts with only required values.
# full_{config|data} are examples of a dicts with all values given
fmp = FragmentMNP(minimal_config, minimal_data)
# Run the model
output = fmp.run()
```

The returned `FMNPOutput` object contains a timeseries `t`, particle mass and number concentrations for each size class, `c` and `n`, particle number concentration lost from each size class due to dissolution `n_diss`, and corresponding concentration of dissolved organics from each size class `c_diss`. See the [API reference](#) for full details. A convenient plotting function can be used to quickly plot model output (see [Plotting](#)):

```
# Plot the time evolution of mass concentrations
_ = output.plot()
```



Model parameters

Internal parameters that control the model

Model can be calibrated against experimental data to give values to these parameters.

End goal is external parameters requirements that are pragmatic – e.g. polymer type, density, environmental compartment

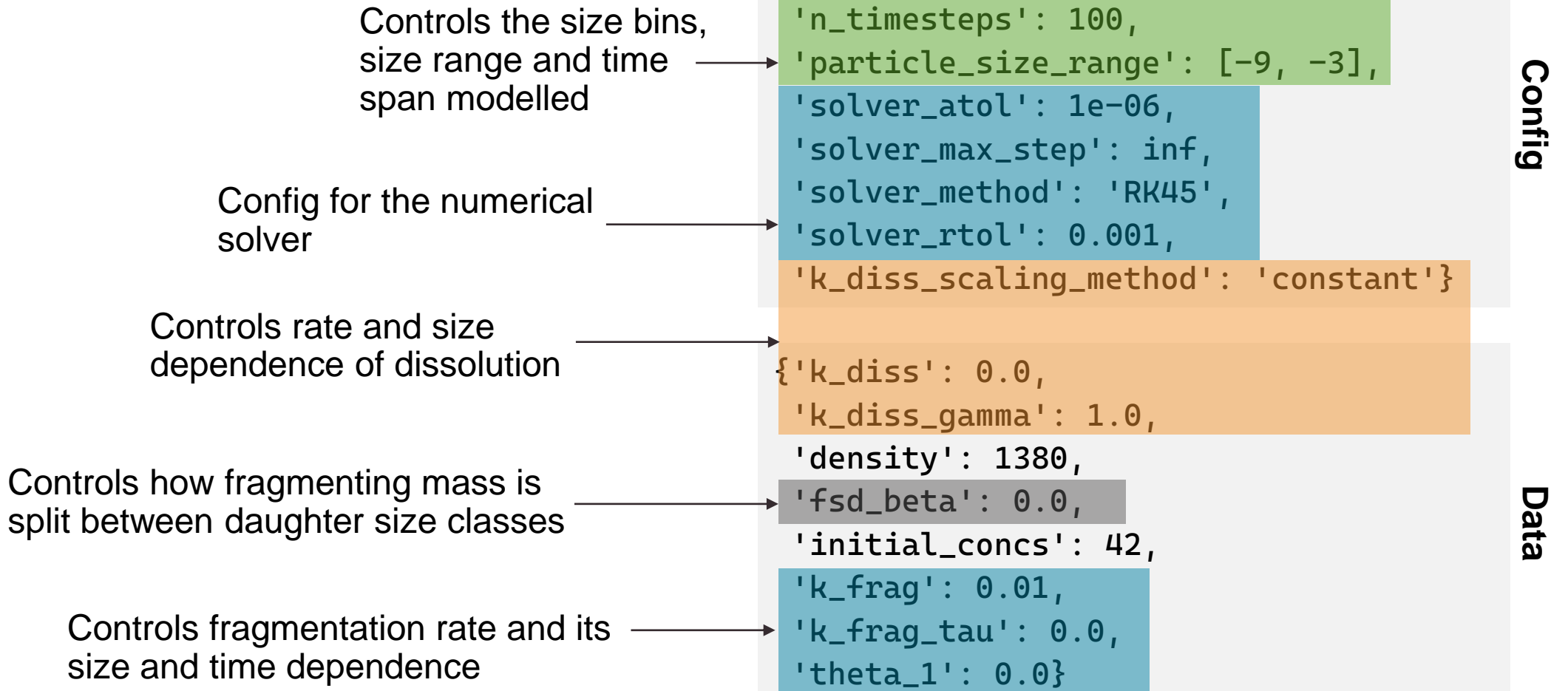
```
{'dt': 1,  
  'n_size_classes': 7,  
  'n_timesteps': 100,  
  'particle_size_range': [-9, -3],  
  'solver_atol': 1e-06,  
  'solver_max_step': inf,  
  'solver_method': 'RK45',  
  'solver_rtol': 0.001,  
  'k_diss_scaling_method': 'constant'}
```

Config

```
{'k_diss': 0.0,  
  'k_diss_gamma': 1.0,  
  'density': 1380,  
  'fsd_beta': 0.0,  
  'initial_concs': 42,  
  'k_frag': 0.01,  
  'k_frag_tau': 0.0,  
  'theta_1': 0.0}
```

Data

Model parameters

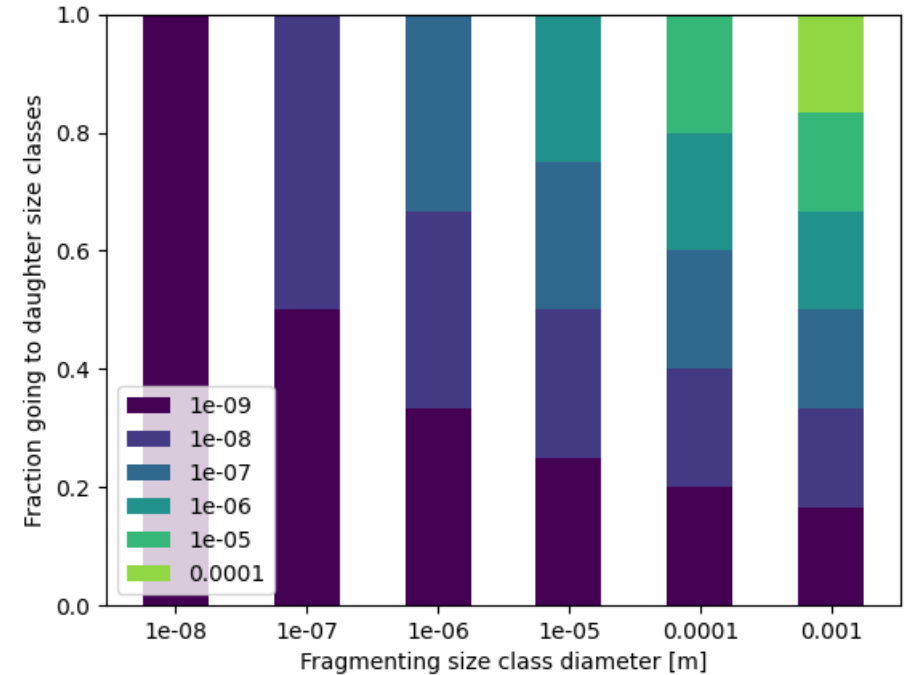


Model – fragment size distribution

Parameter β_{FSD} controls the split of fragmenting mass to daughter size fractions.

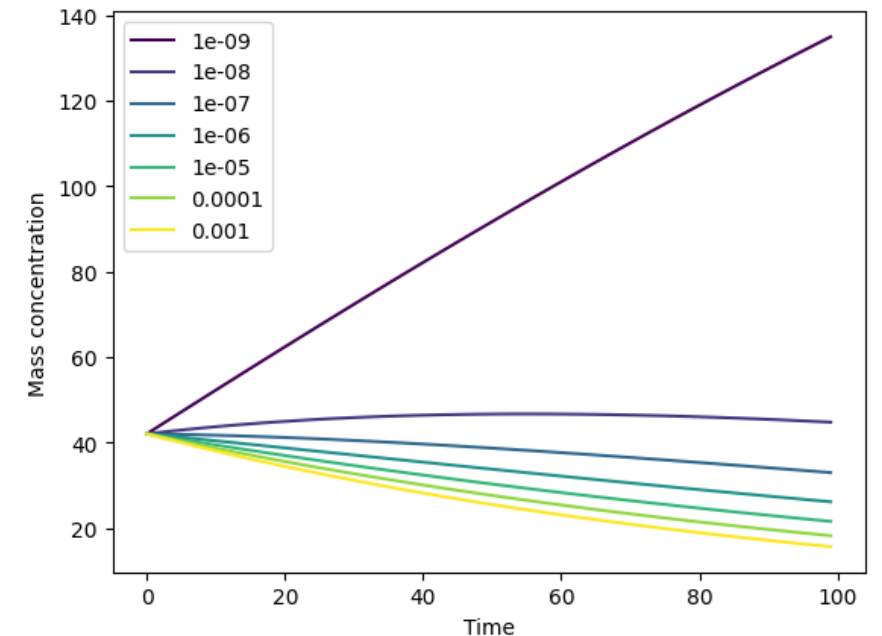
$$\beta_{\text{FSD}} = 0$$

Even split to daughter size classes



$$\beta_{\text{FSD}} < 0$$

Higher proportion goes to smaller size classes



Model – fragment size distribution

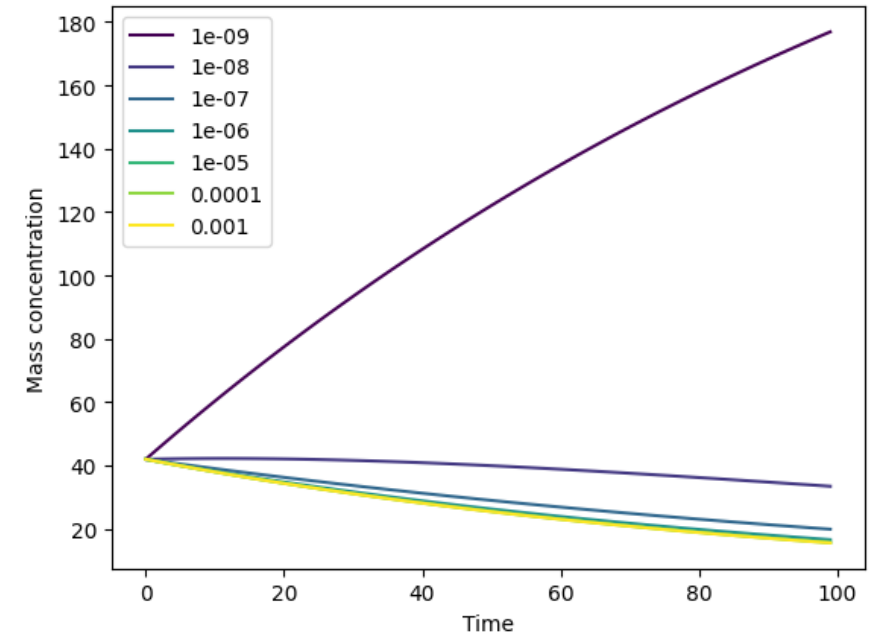
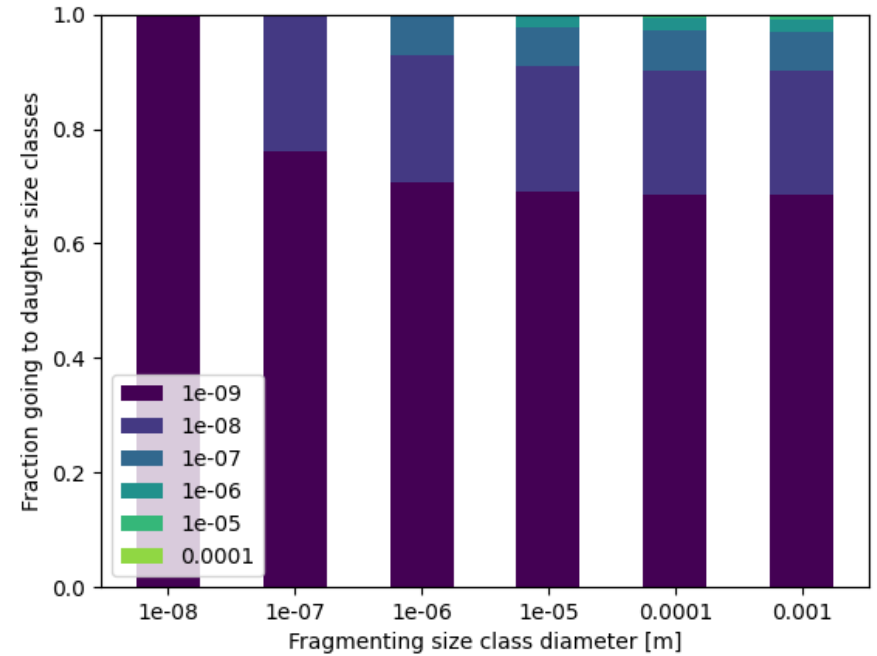
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Model – time-dependent fragmentation rate

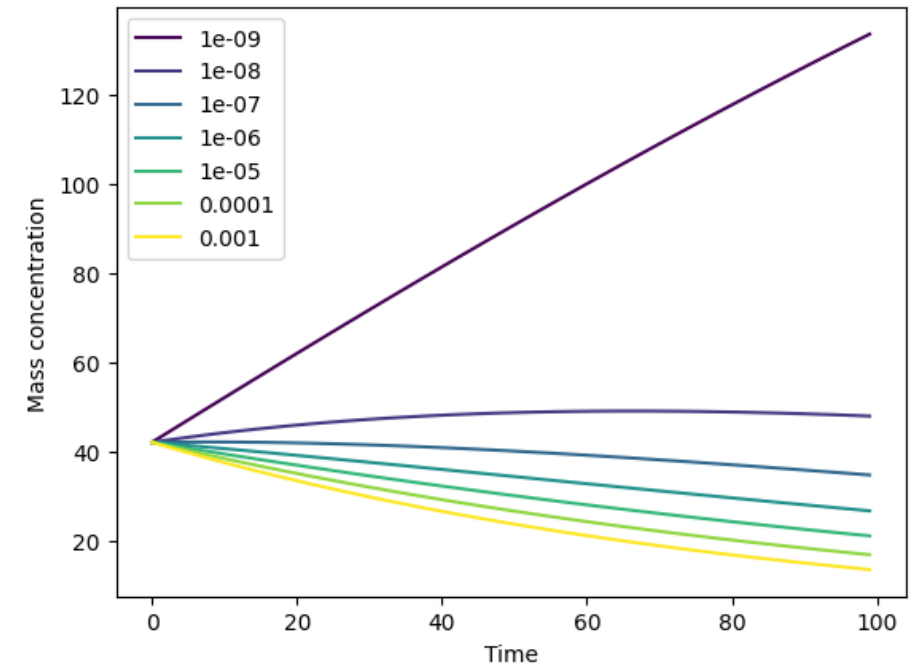
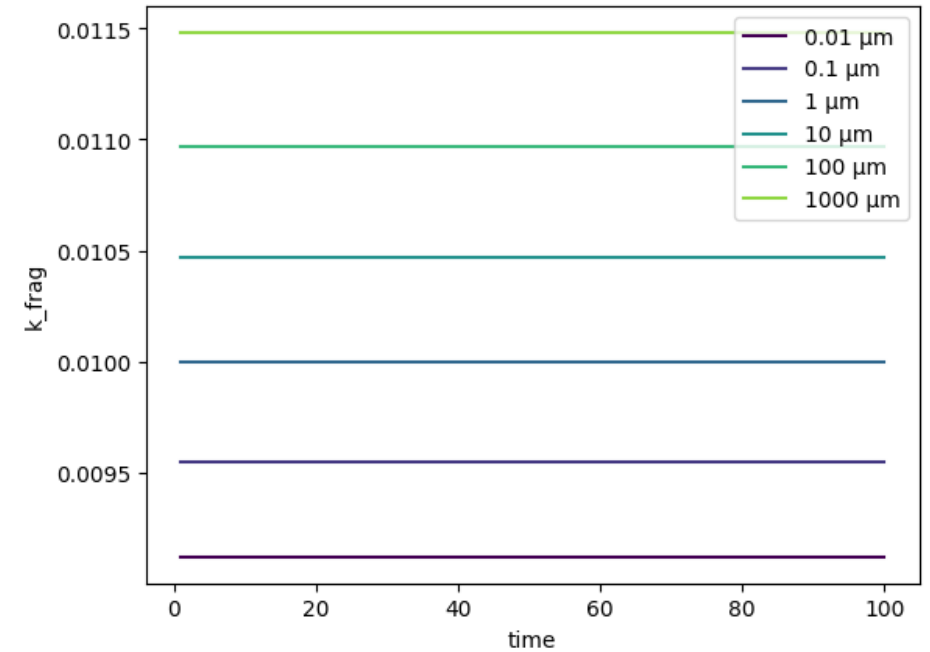
Parameter $\tau_{k_{\text{frag}}}$ controls the time-dependence of the fragmentation rate.

$$\tau_{k_{\text{frag}}} = 0$$

Constant fragmentation size

$$\tau_{k_{\text{frag}}} < 0$$

Decreasing fragmentation rate



Model – time-dependent fragmentation rate

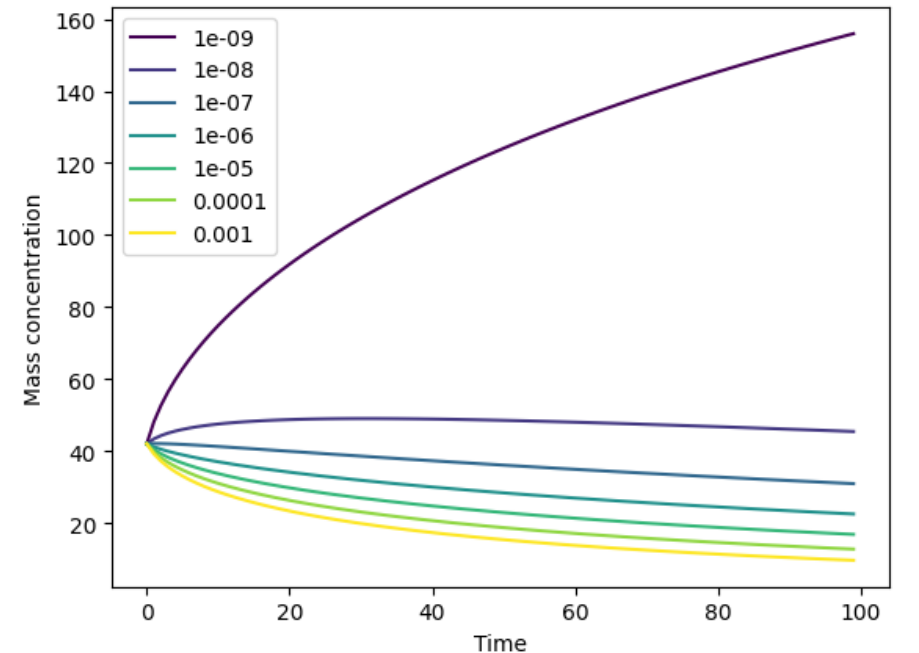
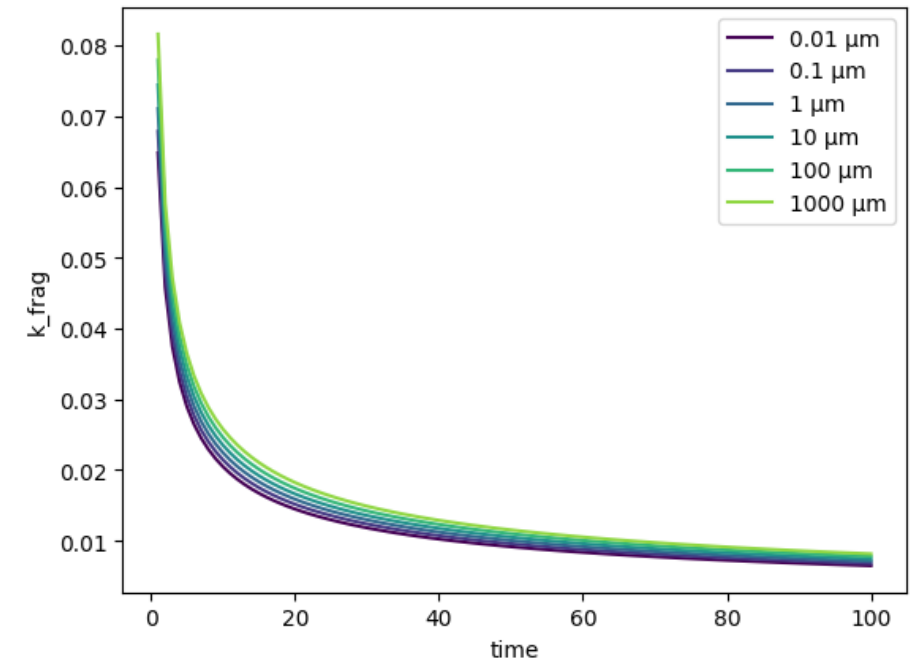
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$$\tau_{k_{\text{frag}}} = 0$$

Constant fragmentation size

$$\tau_{k_{\text{frag}}} < 0$$

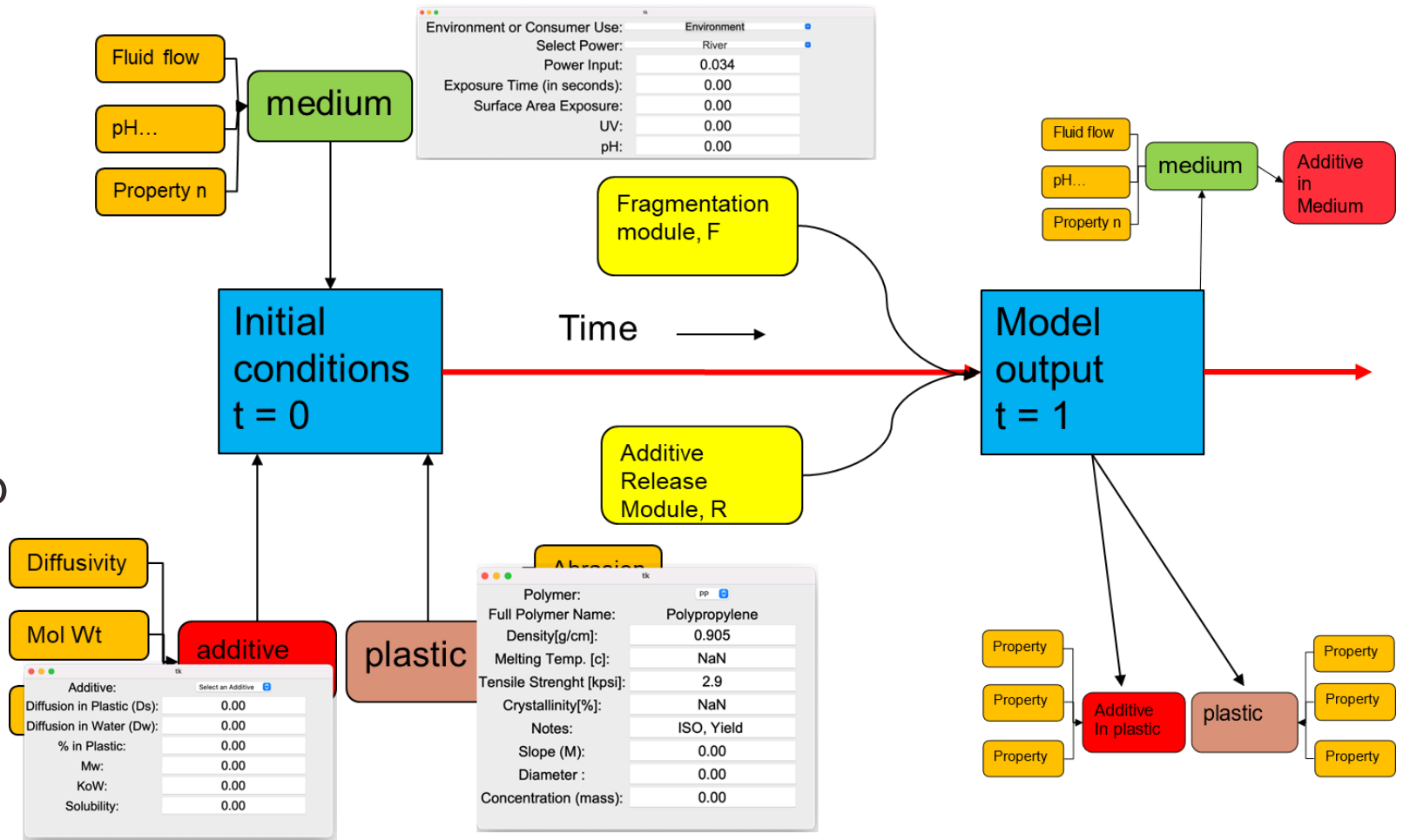
Decreasing fragmentation rate



Data integration

Using experimental data to parametrise the model based on a set of pragmatic external parameters.

Stats model to fit relationship between external params (e.g. polymer phys-chem) and internal (e.g. fragmentation rate)



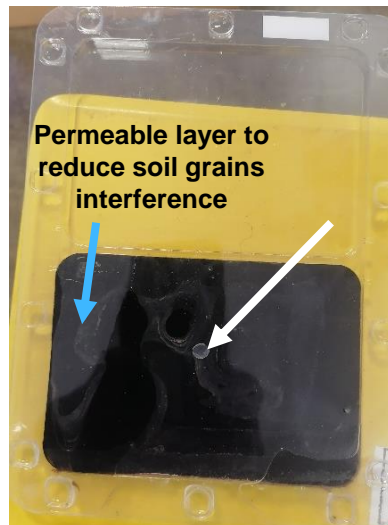
Ground truthing

Validation of model predictions by measured fragment size distributions

- Data from literature and other projects on microplastics in the environment.
- Three-dimensional shaking with glass beads.
- Plant root experiments to see the influence of root action in prompting fragmentation



Polymer at soil surface
(Control)



Polymer at the rhizosphere
of *Vicia sativa* (a legume)



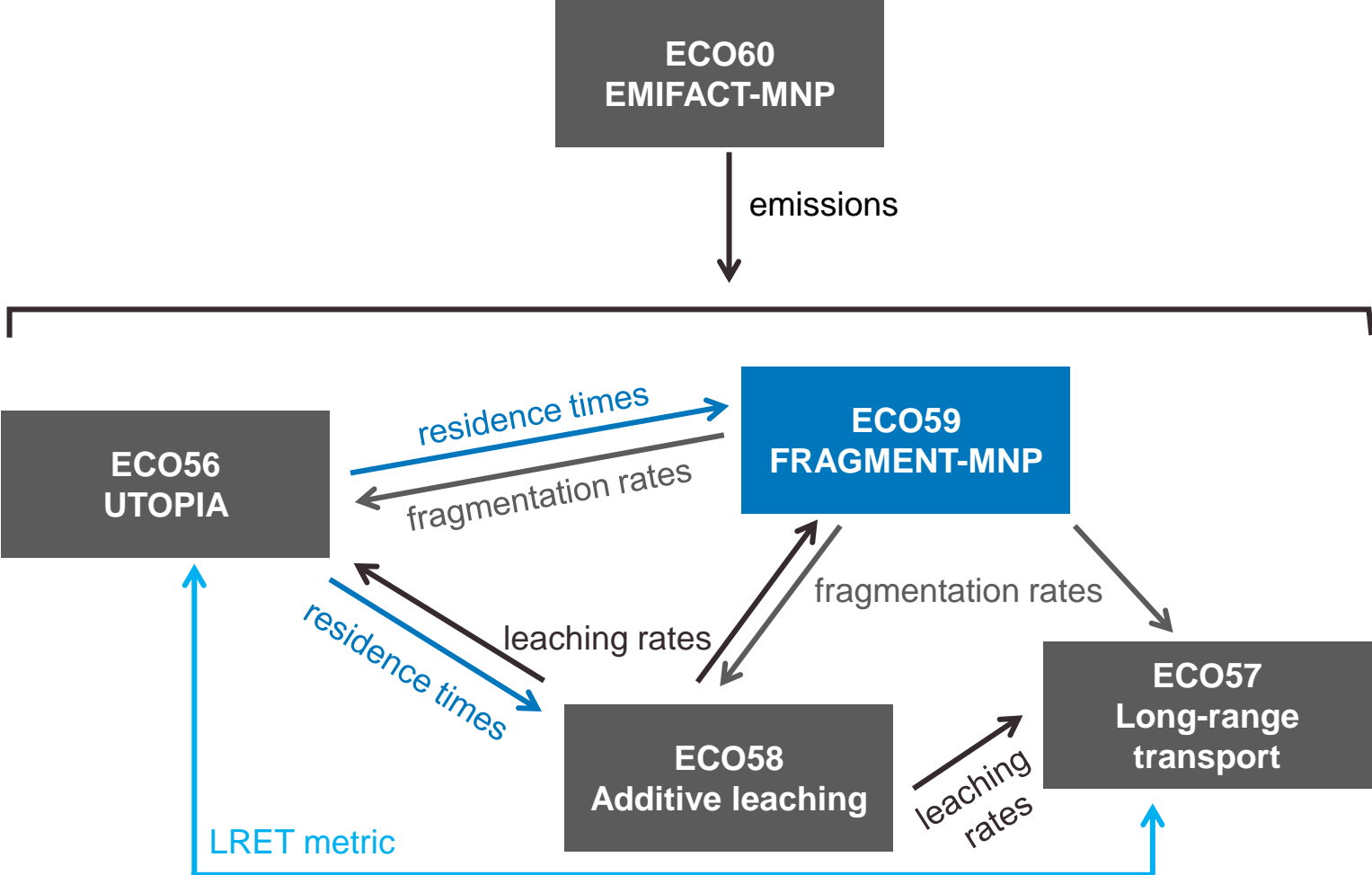
Polymer at the rhizosphere
of *Triticum aestivum*
(Wheat, a cereal)



✓ Both pristine and UV-exposed polymers (PLA, PET, TPU, and LDPE) will be exposed to the two plants over an active growing period of 8 months.

✓ Characterisation of polymers fragmentation and degradation will be done every 2 months.

Integration with other projects



Summary

- Prototype model completed with iterative improvements through the rest of the project (May 2024).
- Building experimental database in progress – most experiments completed, data integration to be done.
- End result will be model with pragmatic input requirements that predicts time evolution of polymer size distributions in environmental compartments.
- The model will be able to provide realistic fragmentation rates and distributions to fate and exposure models, + even more if integrated with additive release model...

Thank You

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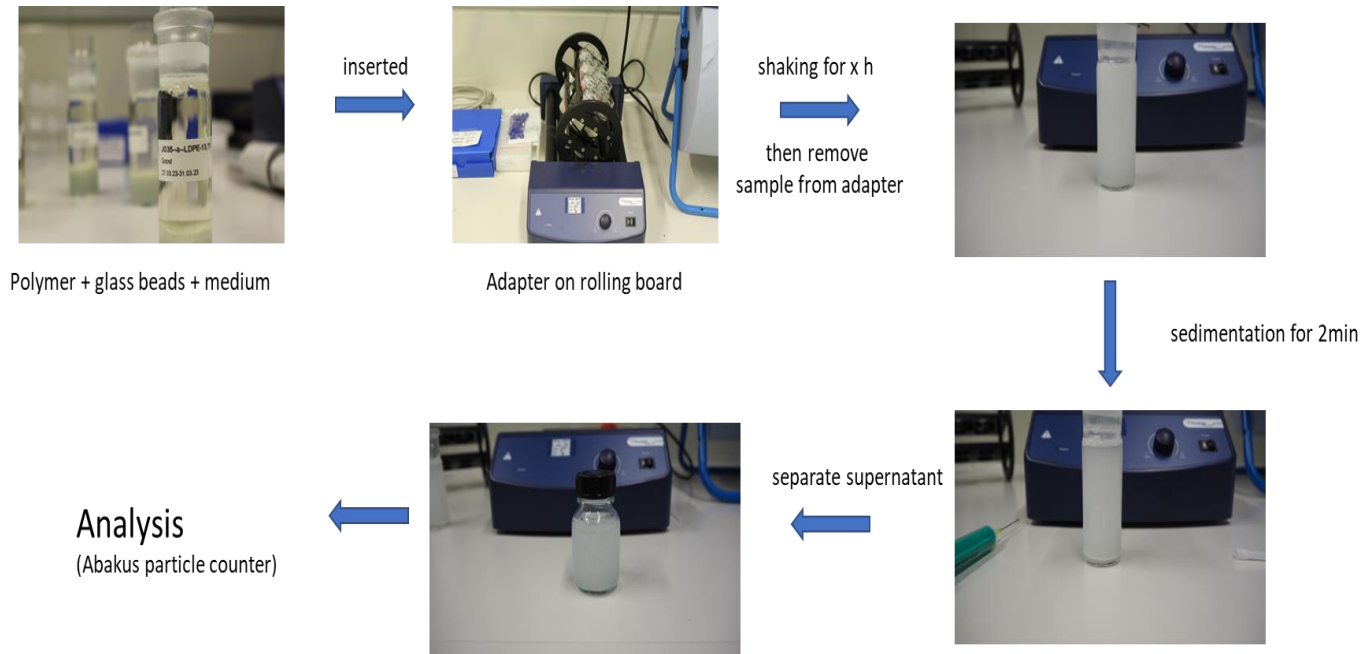
samharrison.science



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```
the initial value problem to pass to SciPy to solve.
st satisfy  $c'(t) = f(t, c)$  with initial values given in da
c):
t the number of size classes and create results to be fille
self.n_size_classes
t = np.empty(N)
Interpolate the time-dependent parameters to the specific
timestep given (which will be a float, rather than integer in
model = np.arange(self.n_timesteps)
= interpolate.interpld(t_model, self.k_frag, axis=0,
| | | | | fill_value='extrapolate') # type: ignore
frag = f(t)
Loop over the size classes and perform the calculation
for k in np.arange(N):
# The differential equation that is being solved
dcdt[k] = - k_frag[k] * c[k] \
+ np.sum(self.fsd[:, k] * k_frag * c[:N]) \
- self.k_diss[k] * c[k]
return the solution for all of the size classes
dcdt
solve this given the initial values for n
(fun=f,
method=self.config['solver_method'],
span=(0, self.n_timesteps),
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np.arange(0, self.n_timesteps),
self.config['solver_rtol'],
self.config['solver_atol'],
self.config['solver_max_step'])
```

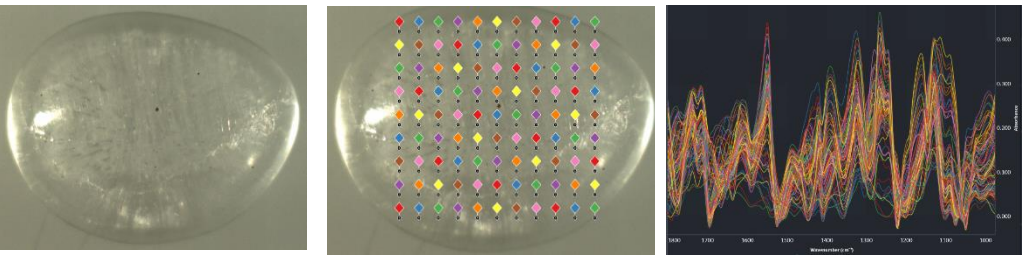
Glass bead shaking



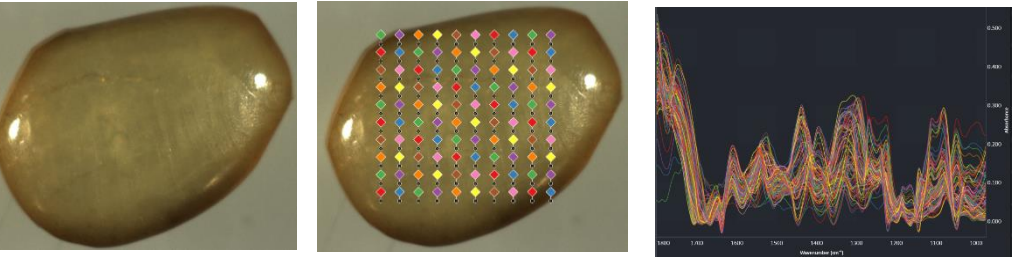
Polymer	State	Medium	Glass beads [g]	power [Watts]	Time [h]
PA6	pristine	DI-water	0	0	3,5
PA6	pristine	DI-water	4,39	2	3,5
PA6	pristine	DI-water	13,71	15-20	3,5
PA6	pristine	DI-water	20,57	40-75	3,5
PA6	aged	DI-water	0	0	3,5
PA6	aged	DI-water	4,39	2	3,5
PA6	aged	DI-water	13,71	15-20	3,5
PA6	aged	DI-water	20,57	40-75	3,5
LDPE	pristine	DI-water	0	0	3,5
LDPE	pristine	DI-water	4,39	2	3,5
LDPE	pristine	DI-water	13,71	15-20	3,5
LDPE	pristine	DI-water	20,57	40-75	3,5
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LDPE	aged	DI-water	20,57	40-75	3,5
-	-	DI-water	4,39	-	3,5
-	-	DI-water	13,71	-	3,5
-	-	DI-water	20,57	-	3,5

Assessment of polymers fragmentation rates at the rhizosphere

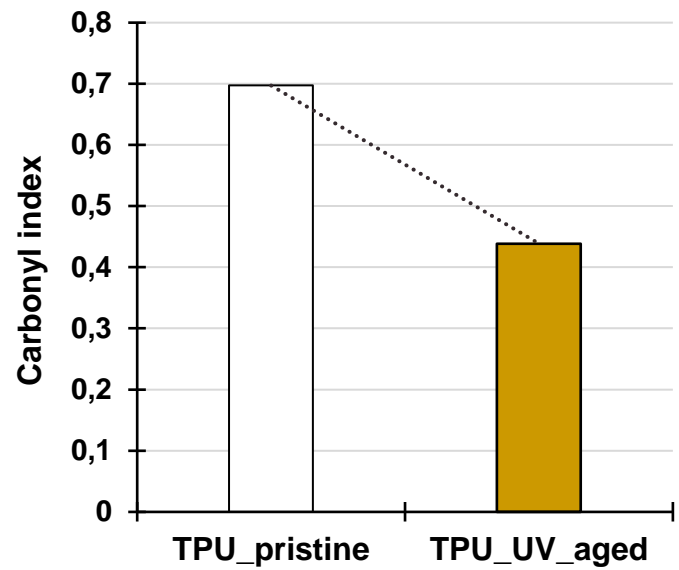
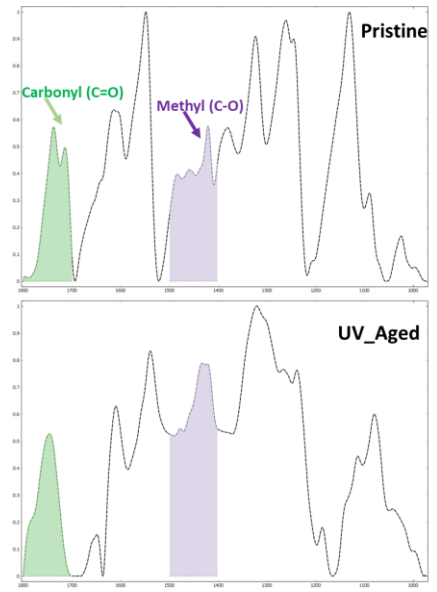
Pristine PLA Surface characterisation by Infra-red spectroscopy



UV-exposed (ISO 4892-2: 1000 hrs) PLA

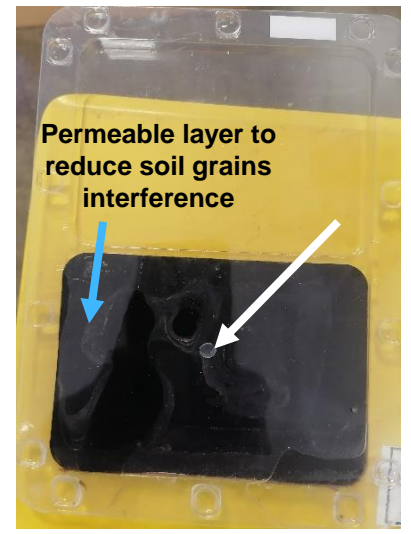


Degradation assessment by Carbonyl index calculation (the ratio of the carbonyl to the methyl region)



Calculation of carbonyl index suggests UV degradation reduces PLA CI by 37%

Polymer at soil surface (Control)



Polymer at the rhizosphere of *Vicia sativa* (a legume)



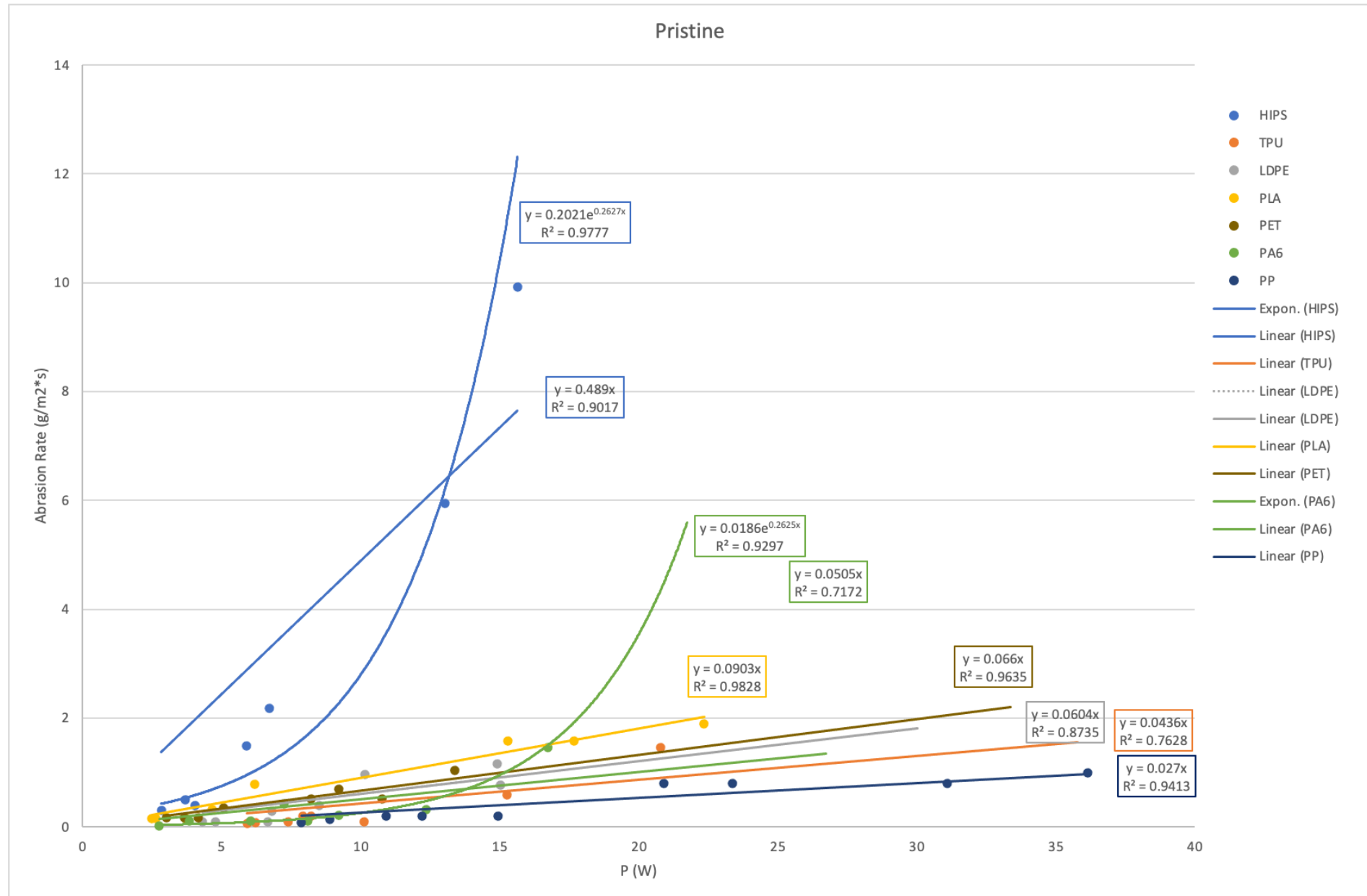
Polymer at the rhizosphere of *Triticum aestivum* (Wheat, a cereal)



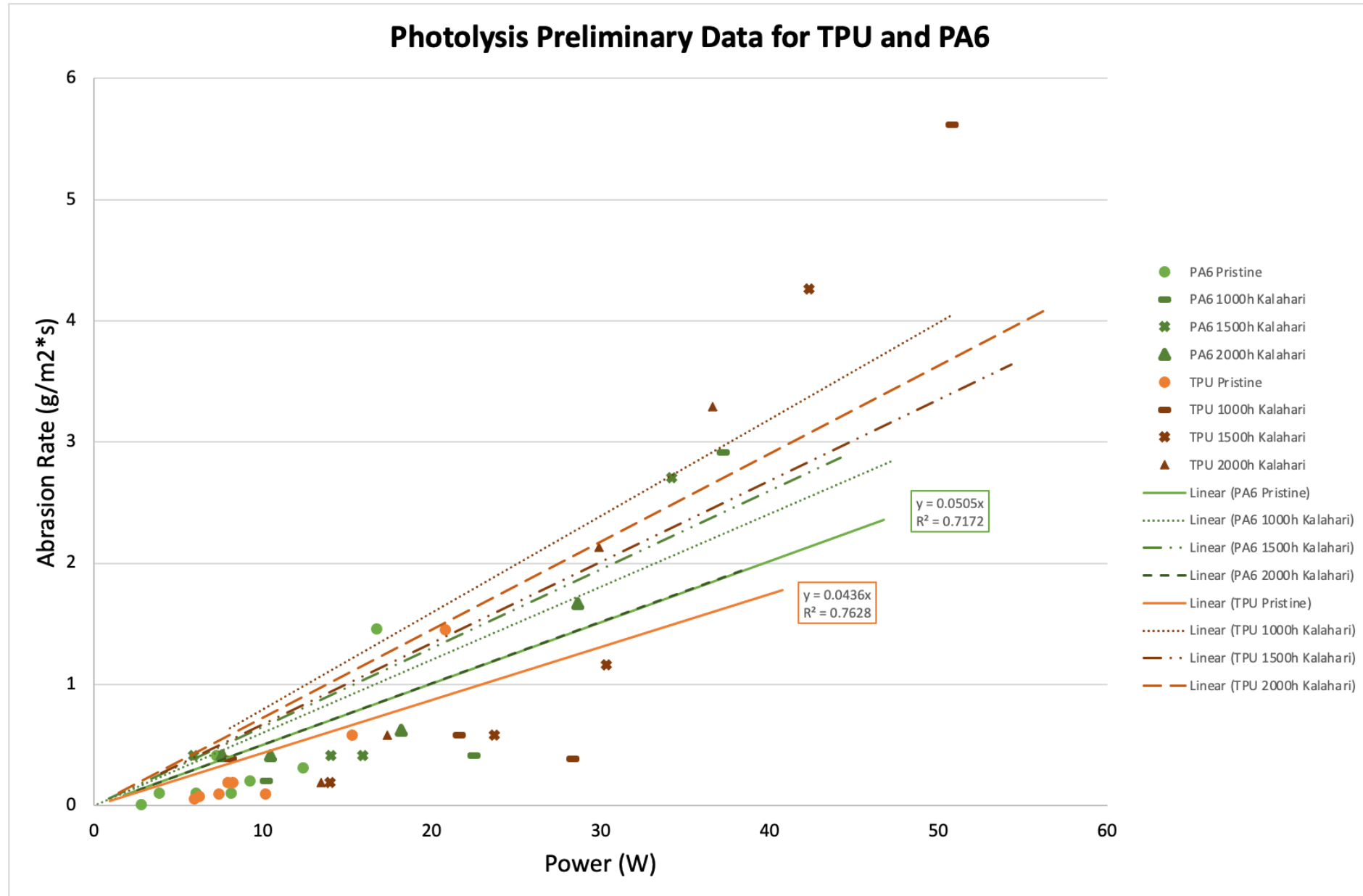
✓ Both pristine and UV-exposed polymers (PLA, PET, TPU, and LDPE) will be exposed to the two plants over an active growing period of 8 months.

✓ Characterisation of polymers fragmentation and degradation will be done every 2 months.

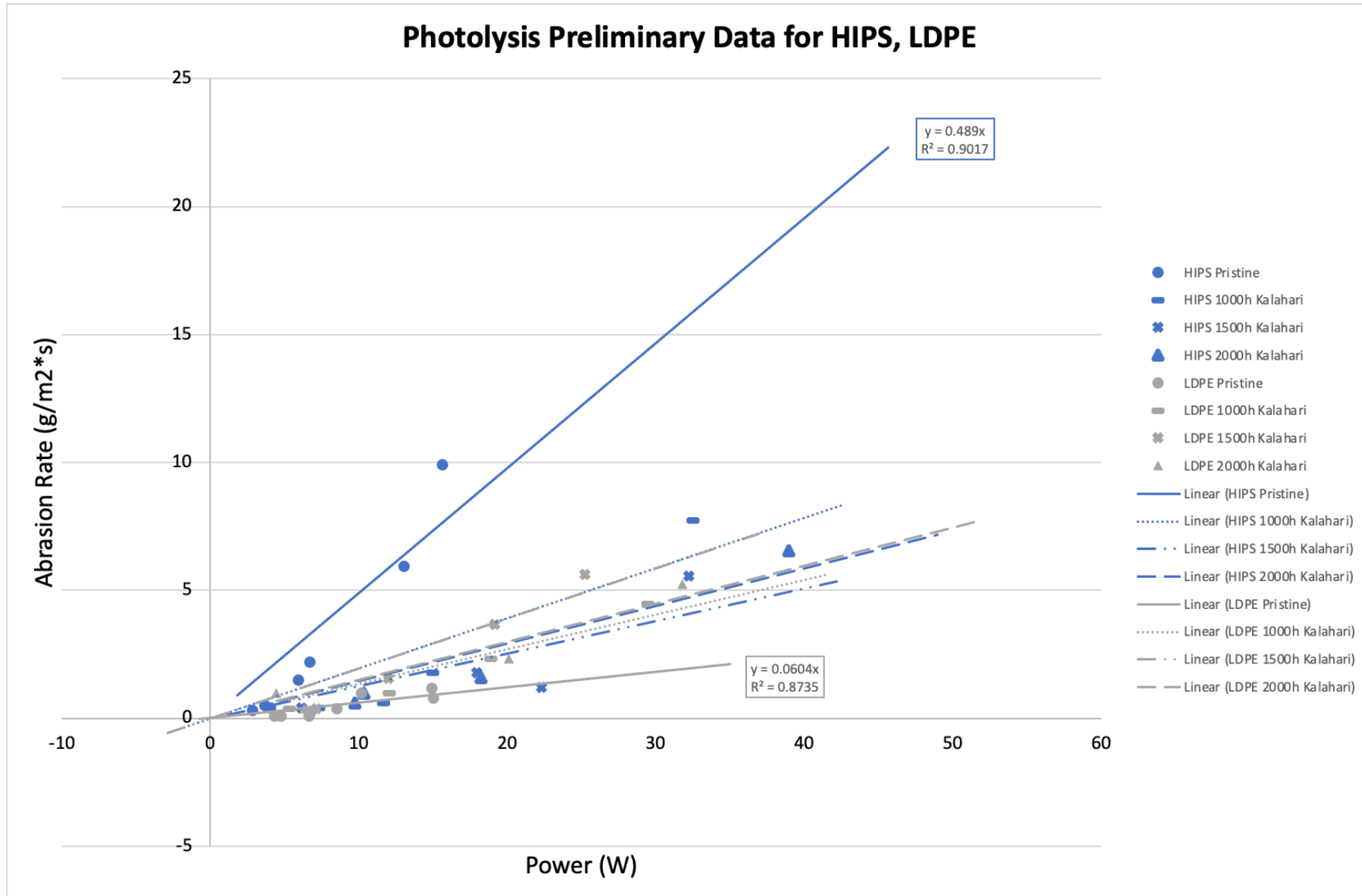
Pristine Plastic with replicate



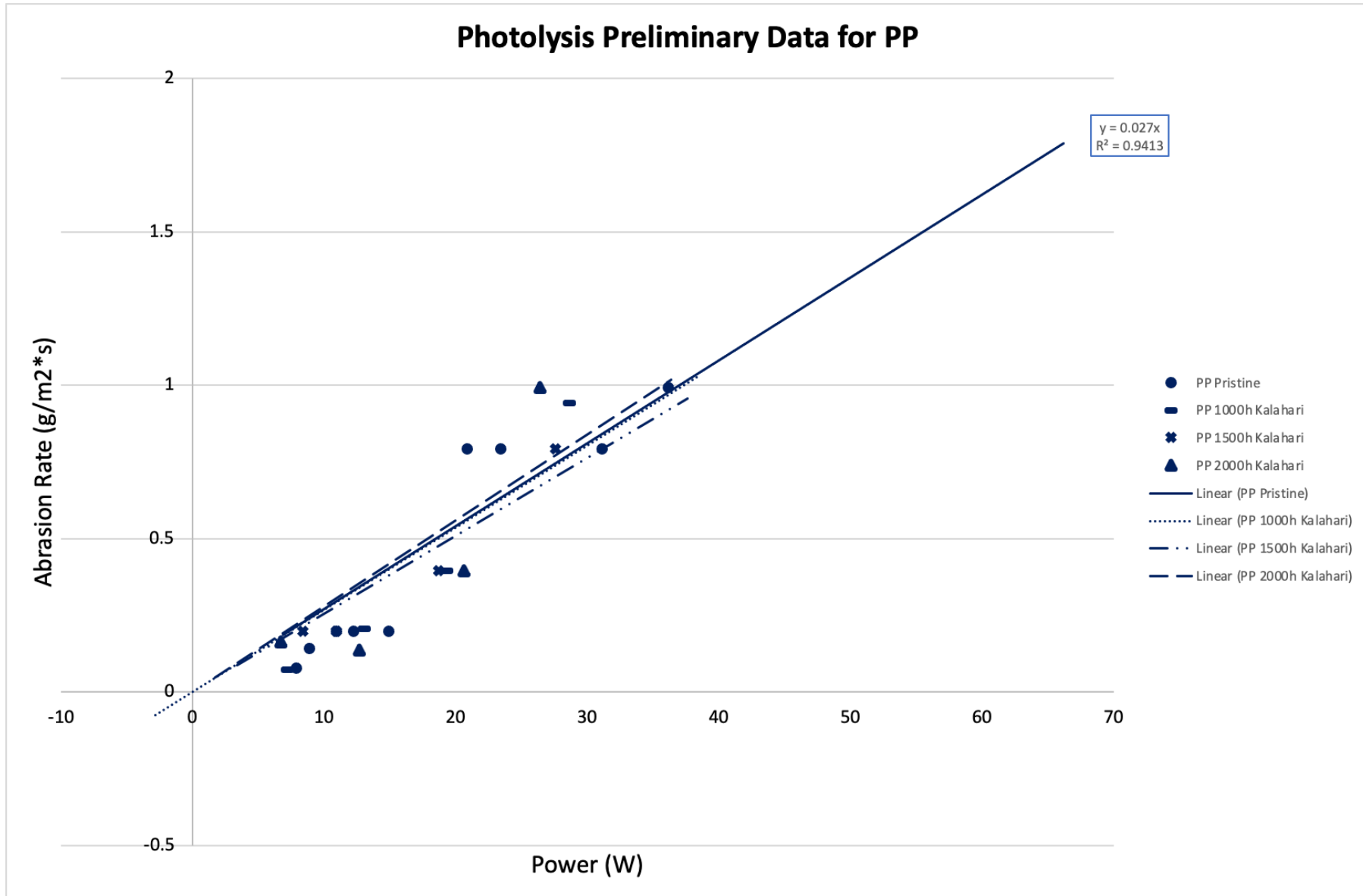
Photolysis Plastic Kalahari without replicate



Photolysis Plastic Kalahari without replicate



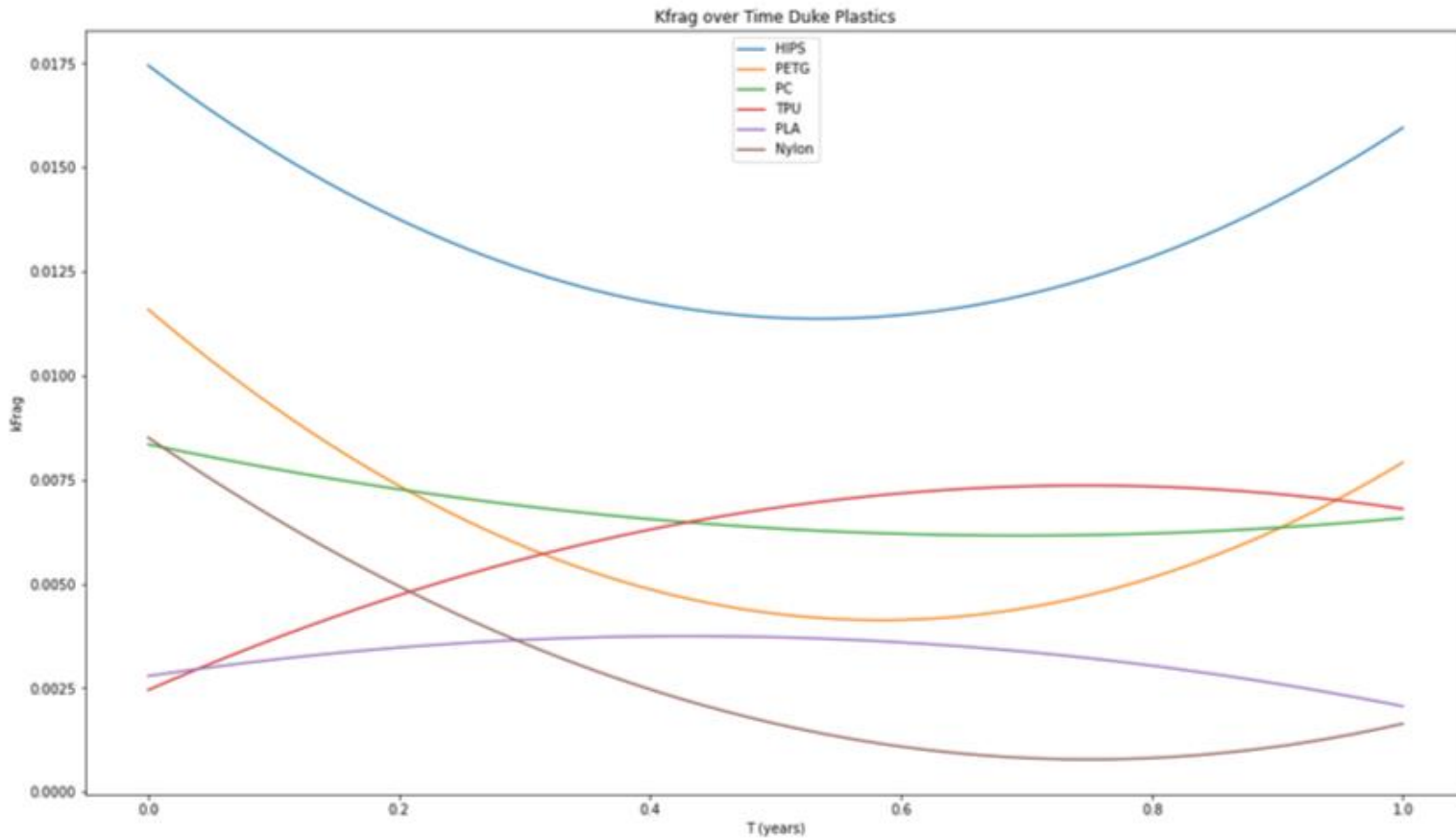
Photolysis Plastic Kalahari without replicate



Abrasion over time from Duke Plastics

K frag

$$k_{\text{frag}} = \frac{M}{\rho_c} \frac{6}{d_k}$$



HIPS Model:

x^2

$$0.3646 x^2 - 0.3903 x + 0.2996$$

PETG model:

x^2

$$0.4486 x^2 - 0.5239 x + 0.2376$$

PC model:

x^2

$$0.0914 x^2 - 0.1271 x + 0.1684$$

TPU model:

x^2

$$-0.163 x^2 + 0.2435 x + 0.0453$$

PLA model:

x^2

$$-0.121 x^2 + 0.1041 x + 0.065$$

x^2

$$-0.005186 x^2 + 0.004461 x + 0.002786$$

Nylon model:

x^2

$$0.2612 x^2 - 0.3918 x + 0.1618$$

x^2

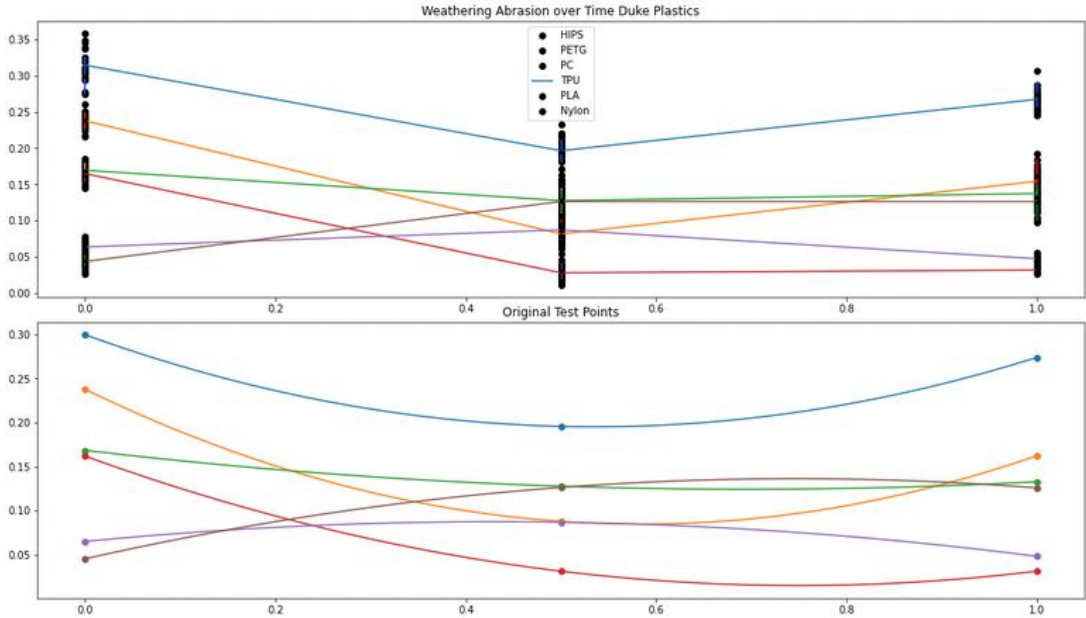
$$0.01375 x^2 - 0.02062 x + 0.008516$$

Modeling M Abrasion over Time

```

HIPS
      2
0.377 x - 0.424 x + 0.3143
PETG
      2
0.4564 x - 0.5397 x + 0.2377
PC
      2
0.1028 x - 0.1348 x + 0.1695
Nylon
      2
0.2806 x - 0.4135 x + 0.1648
PLA
      2
-0.1265 x + 0.1103 x + 0.06383
TPU
      2
-0.1654 x + 0.2479 x + 0.04387
    
```

: <matplotlib.legend.Legend at 0x2813ff160>



Data integration

- ECO59 has an extension to May 2024. This will be mostly for “data integration” – taking the experimental data, applying fits/models to it and using this to produce pragmatic input requirements for end users →
- Also, extra timepoint in plant experiments, writing guidance and publications, and exploring integration with other projects.

